

COMSOL  
CONFERENCE

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# Simulation of the Geometric Design Parameters' Impact on the Performance of EHD Ion-Drag Micropump

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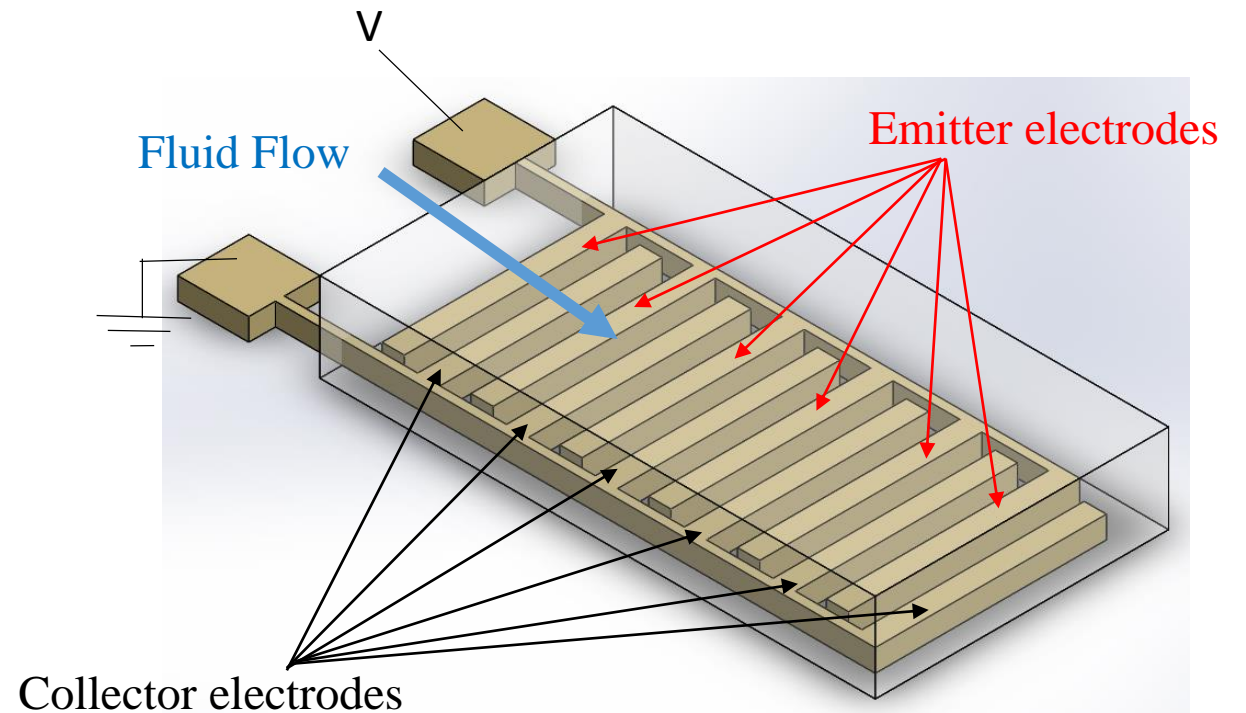
# Micropumps

- Micropumps importance and applications
  - Generate fluid motion in microsystems
  - Compact size, ability to pump precise volume of fluid
  - Applications Ex.: Electronics cooling, Biomedical applications.
- Classification
  - Mechanical Micropumps (moving parts)
    - Ex: Piezoelectric, Shape memory alloy
  - Non-Mechanical Micropumps (no moving parts)
    - Ex: Magnetohydrodynamic, Electrochemical, Electrohydrodynamic (EHD)



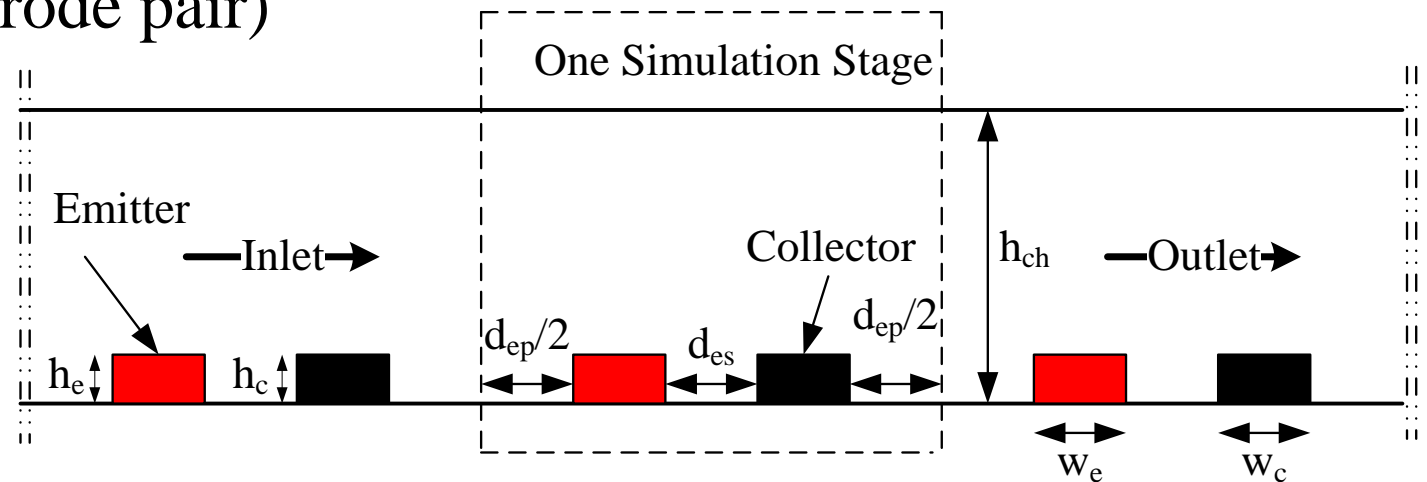
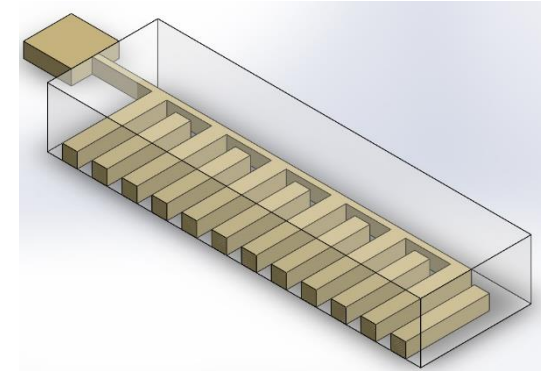
# EHD Pumping

- Utilizing the influence of the electric field on electric charges in a dielectric fluid.
- High  $E \Rightarrow$  Injection of electrons
- Transfer of momentum  
(Ion Drag)  $\Rightarrow$  fluid flow
- Low  $\sigma \Rightarrow$  Small  $I$  (Low  $P$ )



# Factors influencing EHD Pumping

- Working Fluid
  - High permittivity, low viscosity
- Geometric design of the electrodes (Height, width, shape)
- Spacing (interelectrode, electrode pair)
- Study parameters
- Symmetry
- Planar vs Saw tooth



# Governing Equations

Electric body force (Force density)

$$F_e = \rho_e E - \frac{1}{2} E^2 \nabla \epsilon + \frac{1}{2} \nabla \left[ E^2 \rho \left( \frac{\partial \epsilon}{\partial \rho} \right)_T \right]$$

Electrophoretic Force (Coulomb Force)
Dielectrophoretic Force
Electrostrictive Force

Gauss's Law

$$\nabla \cdot \vec{E} = \frac{\rho_e}{\epsilon} \qquad E = -\nabla V$$

Charge Conservation

$$\frac{\partial \rho_e}{\partial t} + \nabla \cdot J = 0 \qquad J = \mu_e \rho_e E + D \nabla \rho_e + \rho_e u + \sigma E$$

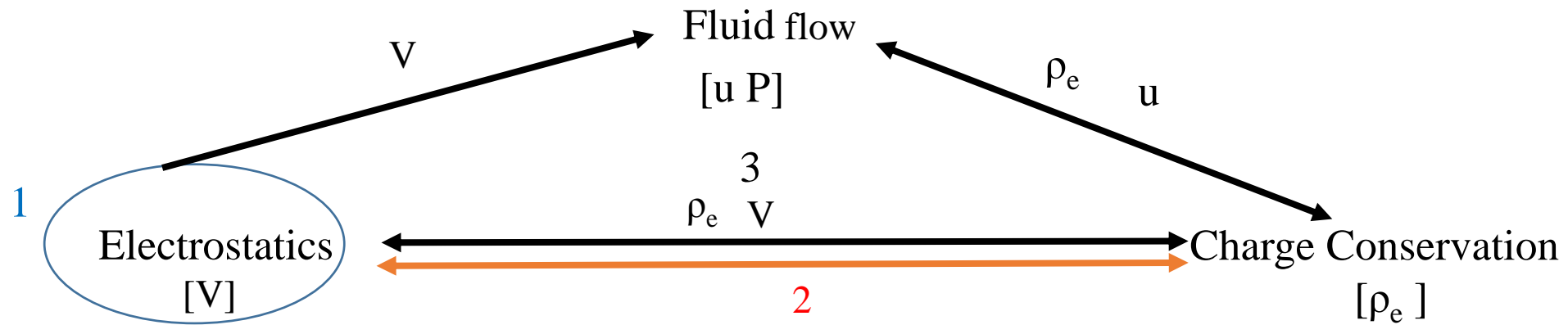
Continuity and Navier Stokes (laminar, steady and incompressible flow)

$$\nabla \cdot u = 0$$

$$\rho \left[ \frac{\partial u}{\partial t} + (u \cdot \nabla) u \right] = -\nabla p - \mu \nabla^2 u + F_e$$



# COMSOL Modeling



Charge Conservation (Transport of diluted species)

$$\nabla \cdot (-D_i \cdot \nabla c_i - z_i \mu_{e,i} F c_i \nabla V) + u \cdot \nabla c_i = R_i \quad (\rho_e = c N a E_0)$$

Model has been verified against documented experimental results



# Simulated Designs

Three main ratios composed of six parameters were varied:

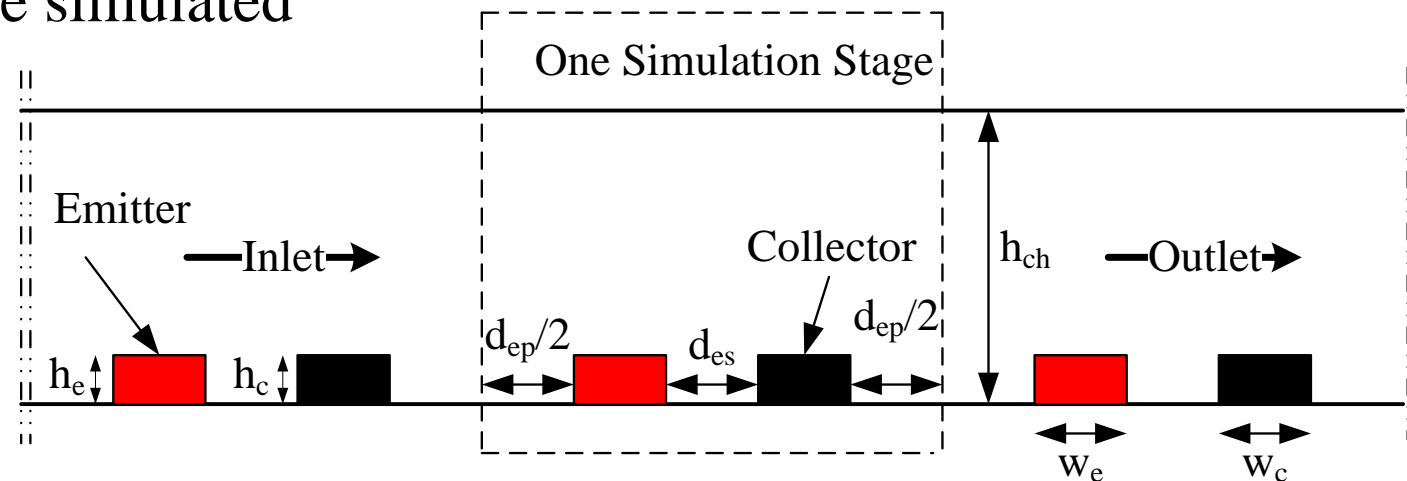
$$d_s = \frac{d_{ep}}{d_{es}}$$

$$w_r = \frac{w_c}{w_e}$$

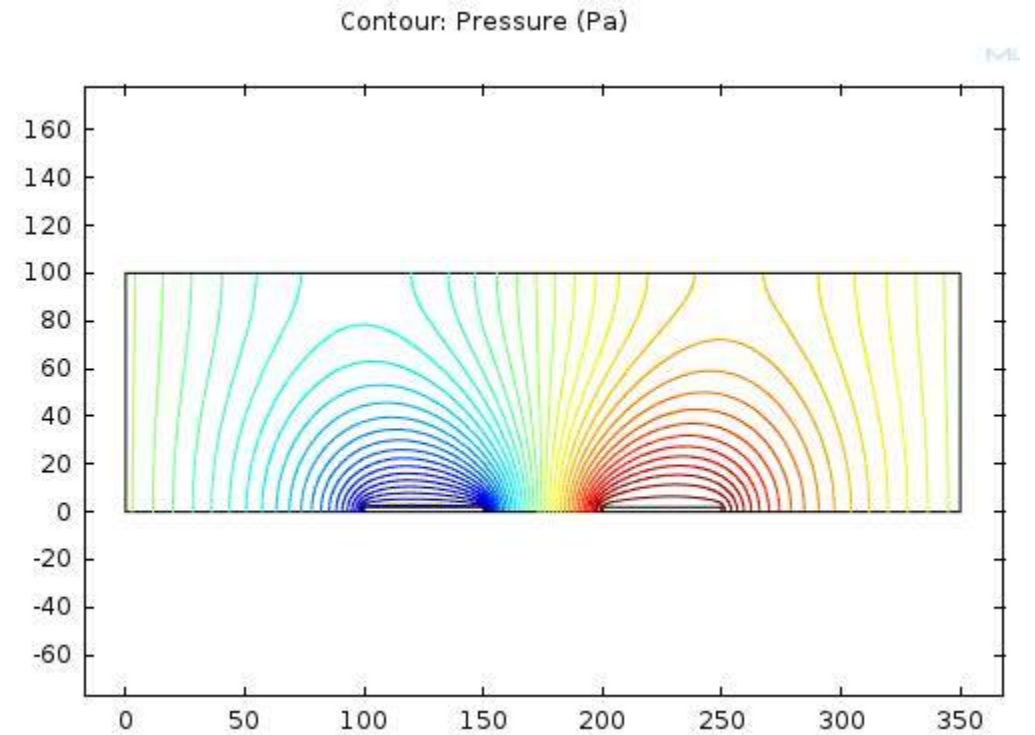
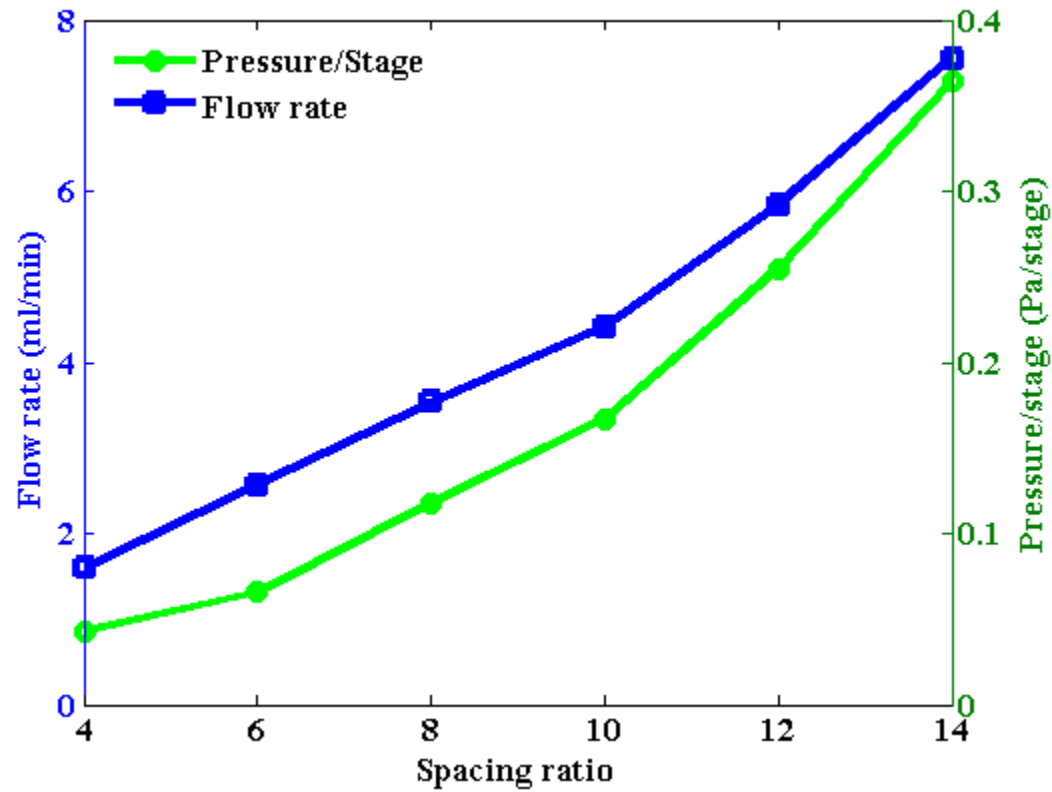
$$h_r = \frac{h_c}{h_e}$$

The seventh parameter was the  $h_{ch}$

Total of 25 designs were simulated

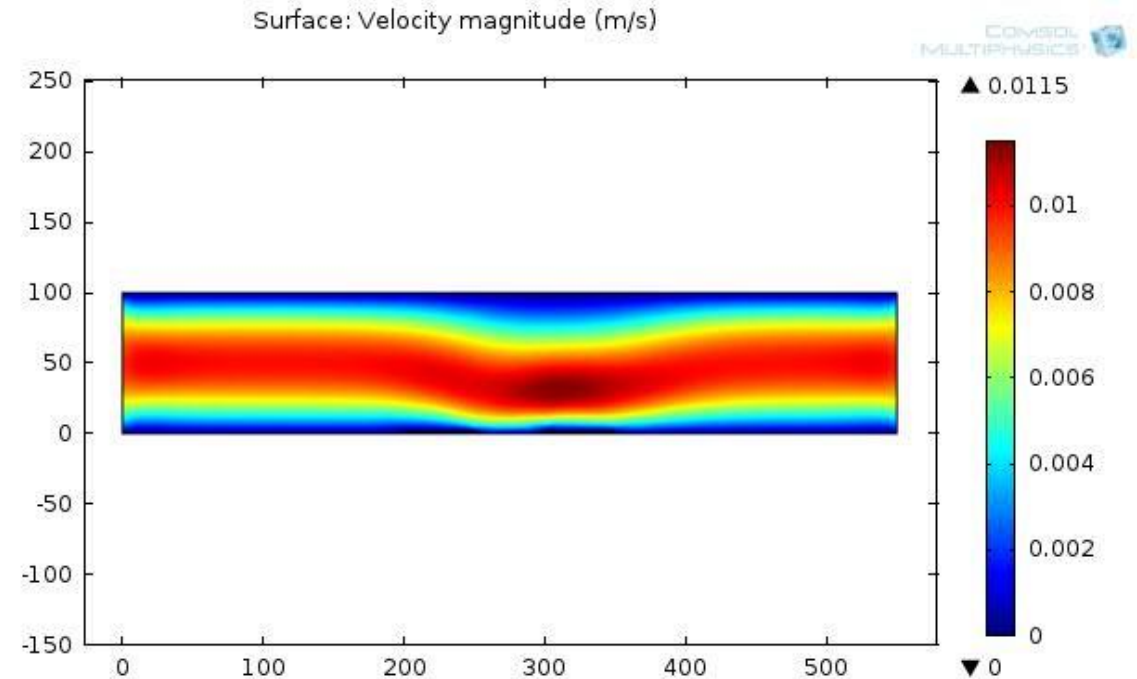
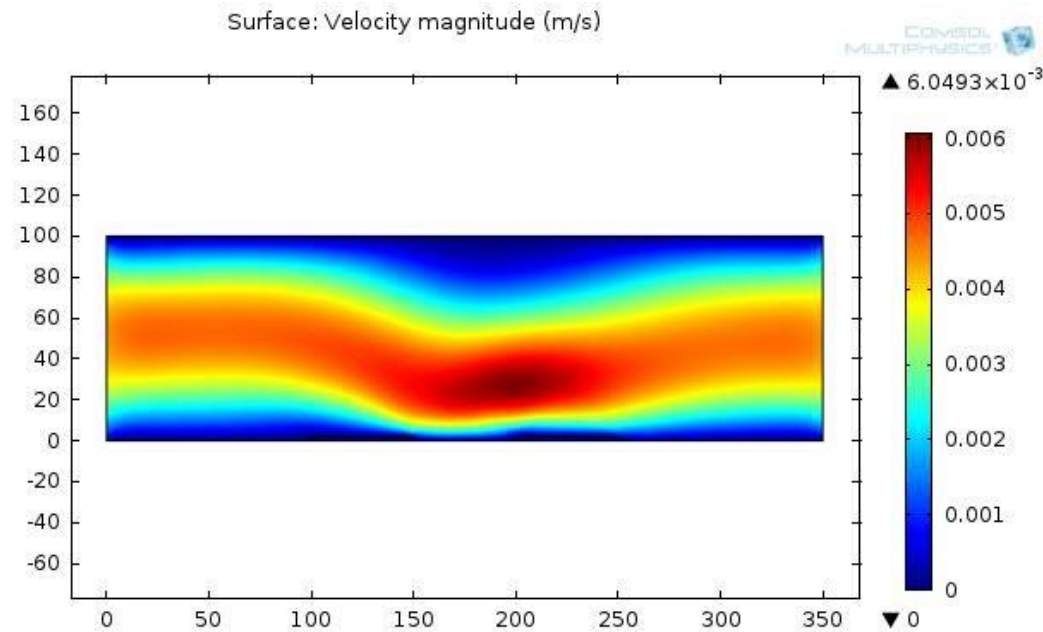


# Results: $d_s$

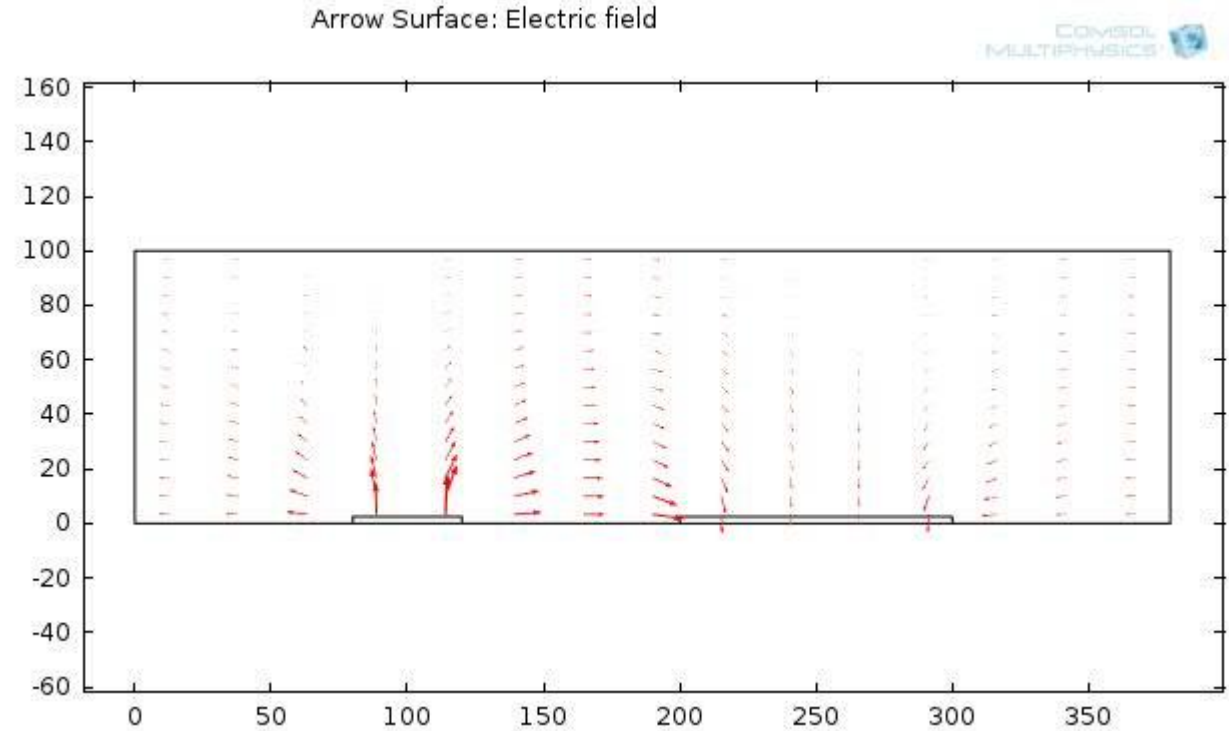
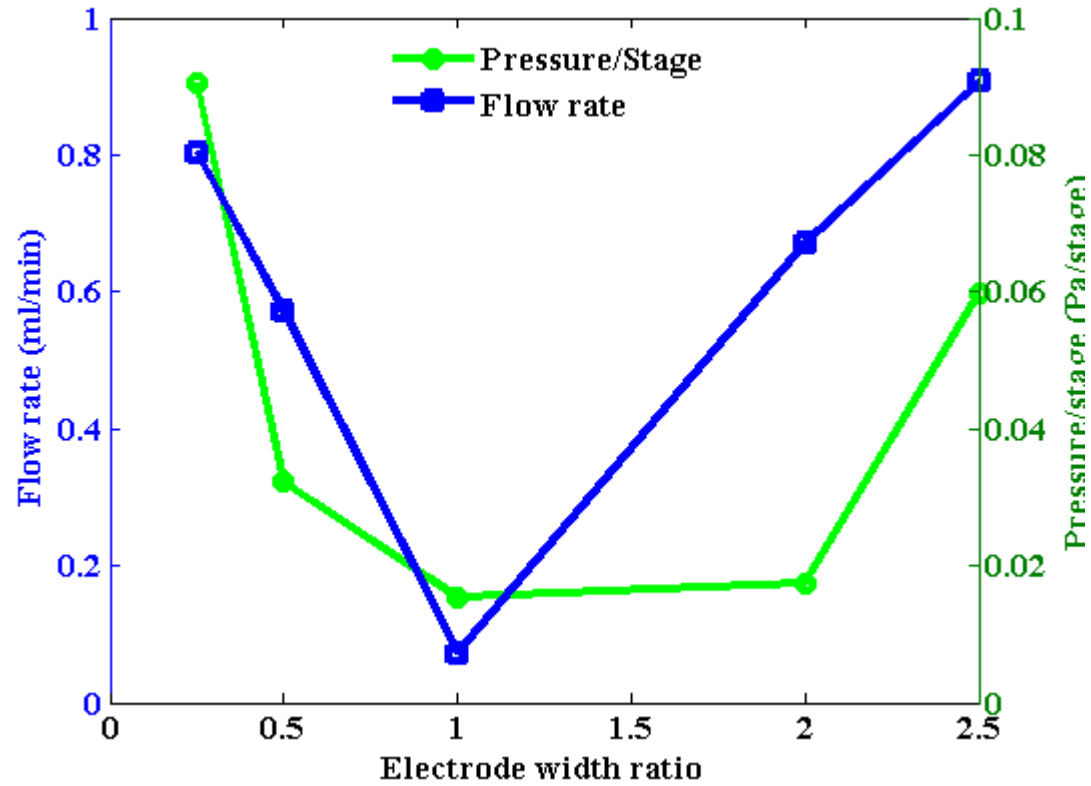




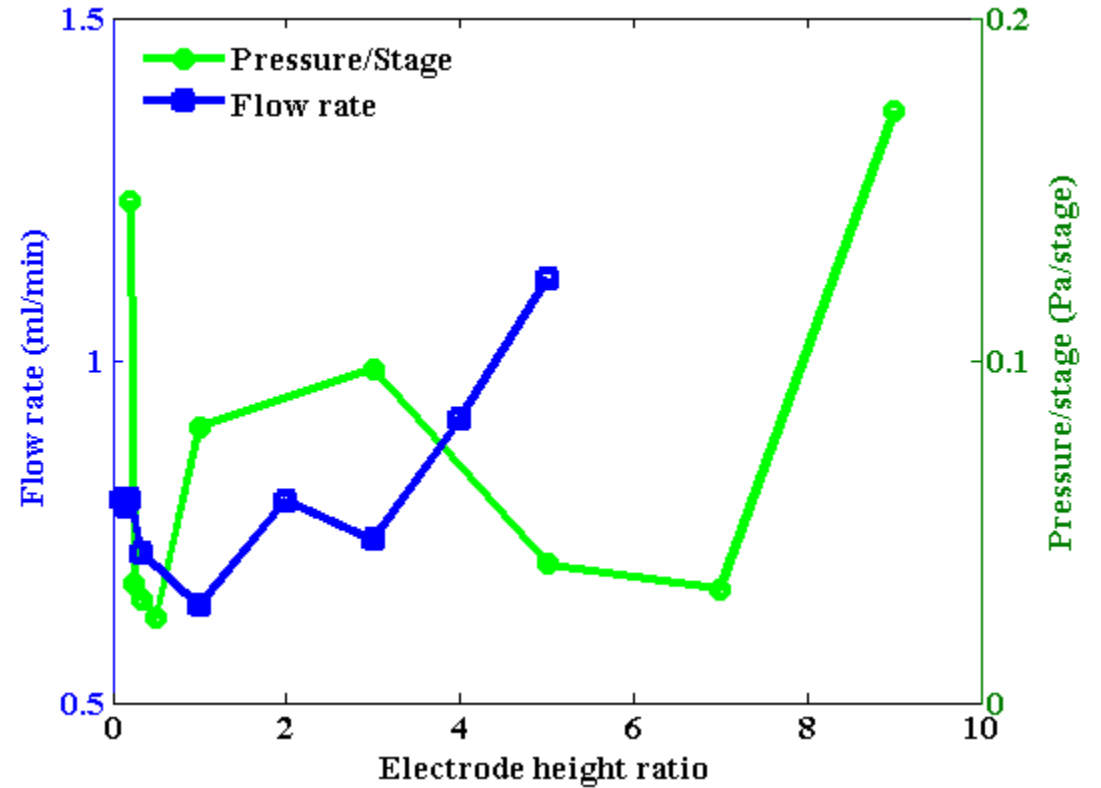
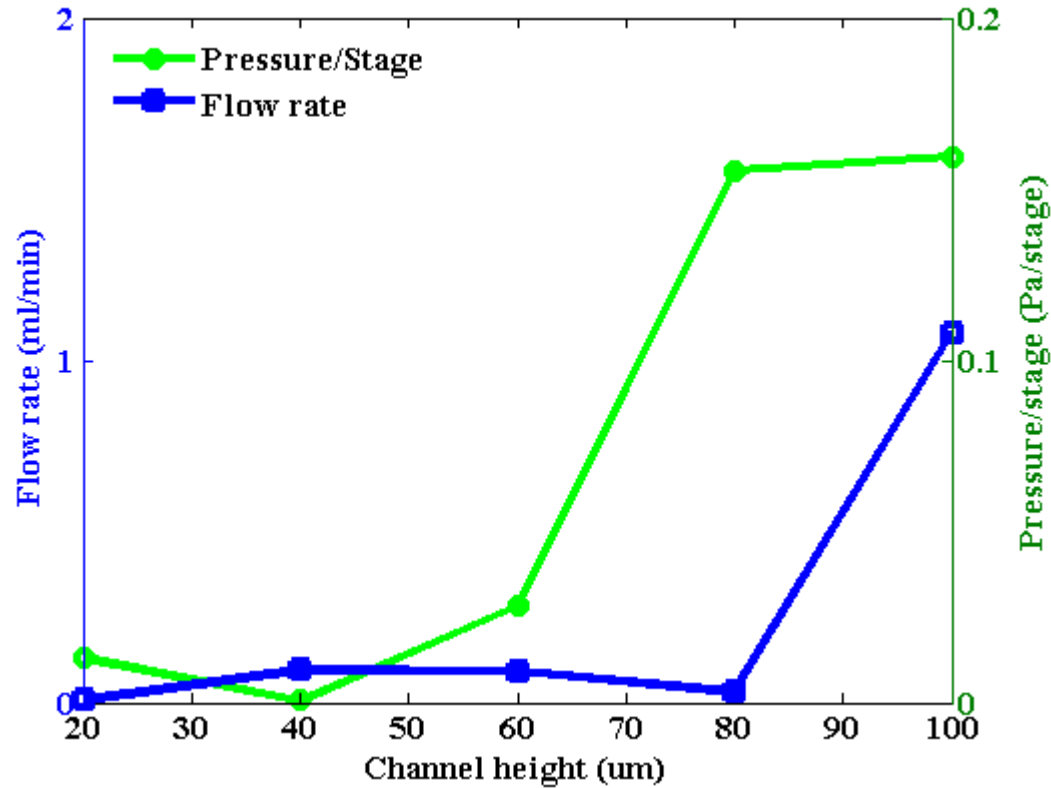
# Results: $d_s$



# Results: $w_r$



# Results: $h_{ch}$ & $h_r$



# Conclusion

An optimal design would make use of the following:

- Asymmetry in electrode height and width
- $d_s$  in the range of 3-4
- $h_{ch}$  should be increased (beware charge density vs height)



# Thank You

