# **BOOM: towards a digital twin of the bladder**

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### **Bladder Outlet Obstruction (BOO)**

- The bladder is a compliant organ whose role is to store and empty urine
- Outlet obstruction is characterised by increased urethral resistance, typically due to benign prostate hypertrophy (BPH)
- Gives rise to myriad of lower urinary tract symptoms (LUTS), 50-75% of men over 50 experience LUTS because of BPH
- Affect bladder storage and function, resulting in lower quality of life
- Pharmacological interventions (anti fibrosis, reduce oxidative stress)
- Surgery to remove obstruction, <sup>1</sup>/<sub>3</sub> of patients who undergo surgery remain symptomatic



https://aareurology.sg/conditions/bladder-outlet-obstruction/

## Bladder outlet obstruction mechanobiology (BOOM)

- Bladder must generate greater pressures to void to overcome increased resistance
- Mechanobiological response to this increased resistance
- Changes in bladder structure, impacting functionality
- 3 key stages of BOO progression



#### **BOO Progression**

- Hypertrophy: SMC growth to overcome increased urethral resistance
- Compensation: growth stabilises and increased ECM deposition

• **Decompensation:** increased collagen deposition, SMC apoptosis and loss of functionality

#### **Objectives**

- Develop a digital twin of the bladder to understand mechanistic relationship between bladder remodelling and function
- Understand, predict and design surgical treatments and pharmacotherapies
- Predict response to surgery
- *Rate based constrained mixture models* to simulate changes in wall structure
- *First steps:* develop a framework for tissue growth and remodelling in COMSOL

#### Integrative modelling approach





University of

#### **Constrained mixture models**

- Biological tissues are made of several distinct constituents/cells
- Each constituent/cell:
  - Have distinct unloaded configurations
  - These configurations can evolve
- Tissues evolve to maintain *homeostasis,* i.e. a stable internal environment

How do tissues remodel in response to changes due to e.g. development, ageing, disease?

#### **Multiple natural configurations**



#### **Constrained mixture model of the bladder**

- Bladder wall is modelled as a multi-layered, heterogenous tissue with passive (collagen, ground matrix) and active (smooth muscle cells) components
- Total stress in the bladder wall is given by

$$\boldsymbol{\sigma} = \boldsymbol{\sigma}_{E}(\lambda_{E}) + \boldsymbol{\sigma}_{LP}^{c}(\lambda_{c}) + \boldsymbol{\sigma}_{DSM}^{c}(\lambda_{c}) + \boldsymbol{\sigma}_{SMC}^{A}(\lambda_{m})$$

where stresses are functions of each constituent/cell stretch

#### **Growth and remodelling in COMSOL**

Passive ground matrix	<i>Nonlinear Structural Materials module</i> Passive components modelled as incompressible, isotropic neo-Hookean Filling of the bladder implemented using the <i>Enclosed Cavity</i> feature
SMC contraction and hypertrophy	Active stress decomposition: $\sigma = \sigma^P + \sigma^A$ with the active stress a function of muscle stretch (implement using <i>External Stress</i> node) SMC growth: $\mathbf{F} = \mathbf{F}_e \mathbf{G}$ , where $\mathbf{G}$ describes changes in shape and volume due to growth (implement using <i>External Strain</i> node)
Collagen remodelling	Collagen fibres modelled using the <i>Fiber</i> node Remodelling to maintain homeostasis $\Rightarrow$ update recruitment stretch $\frac{\partial \lambda_R}{\partial t} = \alpha_c \left(\frac{\lambda_c - \lambda_c^h}{\lambda_c^h}\right),$ Update recruitment stretch at end of each time step, implemented using <i>State Variables</i> node



#### **Passive filling**





### **Passive filling**









Constituent turnover/remodelling

#### **G&R Illustration**

- SMC growth triggered after 5 days
- This perturbs tissue from homeostasis
- Remodelling acts to return tissue to its homeostatic state, i.e. until  $\lambda_i = \lambda_i^h$

 $\lambda_c$ 



#### **Micturition model**

• See my poster!





#### **Summary and outlook**

- We have developed an initial framework for tissue growth and remodelling in COMSOL
- Rate-based constrained mixture model for healthy bladder growth and remodelling
- Can use this framework to test G&R hypotheses
- Next steps:
  - Combine G&R model with micturition model
  - Introduce obstruction and simulate response to BOO
  - Pathway signalling model and collagen growth (fibrosis)

#### US NIH-R01 (Aug 2023-July 2028)

A Digital Twin for Designing Bladder Treatment informed by Bladder Outlet Obstruction Mechanobiology

> Anne Robertson (PI), *Pittsburgh, US* Naoki Yoshimura (MPI), *Pittsburgh, US* Paul Watton (MPI), *Sheffield, UK*







#### **Recruitment and homeostatic stretches**

- Collagen fibres bear load when in tension only
  - Hence collagen fibres do not contribute to stress unless taut
- Recruitment stretch,  $\lambda_R$ : the stretch at which collagen fibres start to be load bearing

Homeostatic stretch,  $\lambda_i^h$ : stretch of constituent *i* when tissue is in homeostasis



#### **Constrained mixture model of the bladder**

$$\boldsymbol{\sigma} = \boldsymbol{\sigma}_{E}(\lambda_{E}) + \boldsymbol{\sigma}_{LP}^{c}(\lambda_{c}) + \boldsymbol{\sigma}_{DSM}^{c}(\lambda_{c}) + \boldsymbol{\sigma}_{SMC}^{A}(\lambda_{m})$$
Passive neo-Hookean response
$$W_{E} = \frac{1}{2}k_{E}(l_{1} - 1)$$

$$\sigma_{E} = \lambda_{E}\frac{\partial W_{E}}{\partial \lambda_{E}} - p$$
Exponential response of collagen fibres
$$W_{c} = \frac{1}{2}\frac{k_{1}}{k_{2}}(e^{k_{2}(l_{4} - 1)^{2}} - 1)$$

$$\sigma_{L}^{c} = \lambda_{c}\frac{\partial W_{c}}{\partial \lambda_{c}}$$
Active response
$$\sigma_{SMC}^{A} = \begin{cases} k_{m}(\lambda_{m}^{4} + \lambda_{m}^{2})(\lambda_{m} - \lambda_{m}^{min})(\lambda_{m}^{max} - \lambda_{m}), & \lambda_{m} \in [\lambda_{m}^{min}, \lambda_{m}^{max}] \\ 0, \text{ otherwise} \end{cases}$$